Robust Sparse Voting

Youssef Allouah, Rachid Guerraoui, Lê-Nguyen Hoang, Oscar Villemaud

Motivation

Voting is:

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- ubiquitous: movies, president, consensus, ML,
- important: decision-making, fairness, performance, ...
- hard: [Arr50] "optimal" voting is impossible

Problem



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• Question: How to aggregate?

Challenge 1: Sparsity

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• Sparsity: every voter scores a small subset

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Challenge 2: Preference scaling

• Scaling: similar preferences can be expressed very differently

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Desirable properties

 α -Byzantine Resilience (informal)

No voter can influence the global vote by more than $\alpha \geq 0$.

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Sparse Unanimity (informal)

Assuming a majority is honest and agrees on some preferences, the global vote should return the honest majority's preferences.



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- Critical consequence: collaborative agreement between honests on the scaling is **necessary**
- Our solution: each voter learns from other's scores and agrees on a collective scale
- Our solutions verifies both properties 😊

• More on arxiv:

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• Deployed on Tournesol.app, an open-source content recommendation project

The End